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## MANDATORY EXPERIMENTS

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### Experiment 1

The circuit shown in Fig. 1 is called Sallen active lowpass filter, where the triangle abstracts an op-amp amplification circuit with the gain  $K$ .

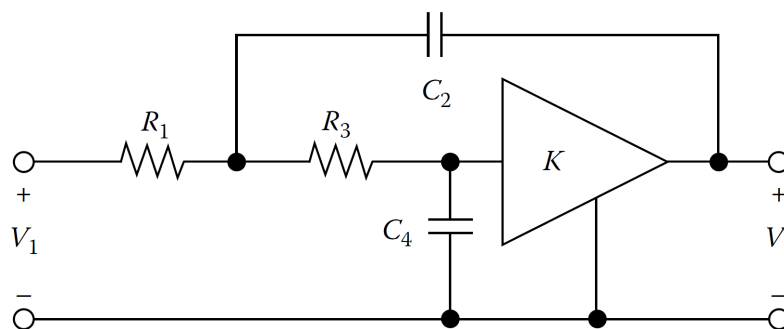


Figure 1: Sallen active lowpass filter.

(a) Calculate the frequency response of the active filter circuit.

(b) How can the amplifier part be implemented using op-amps?

(c) What are the advantages of the amplification part? Does it have any impact on the filtering response?

(d) What are the advantages and disadvantages of such an active filter

### Experiment 2

The circuit shown in Fig. 2 is called Sallen active highpass filter, where the triangle abstracts an op-amp amplification circuit with the gain  $K$ .

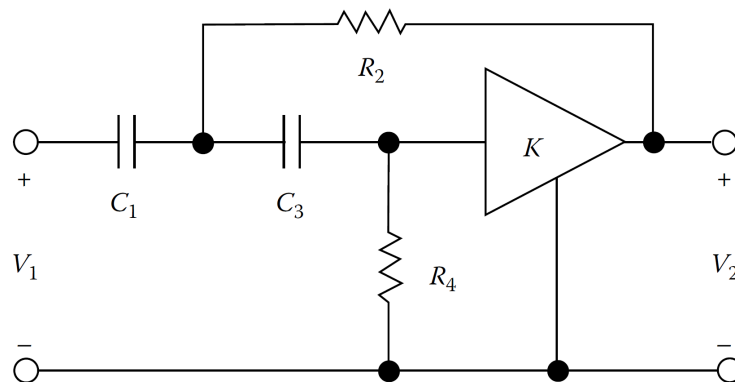


Figure 2: Sallen active highpass filter.

(a) Calculate the frequency response of the active filter circuit.

(b) Can you offer an active filter structure with bandpass frequency response?

### Experiment 3

The series RC circuit of Fig. 2 is driven by a periodic pulse signal generated from a function generator. The voltage signal has the period  $T$  and duty cycle  $D K$ . Further, the capacitor and resistor have nominal values of  $C = 1 \mu\text{F}$  and  $R = 1 \text{k}\Omega$ , respectively.

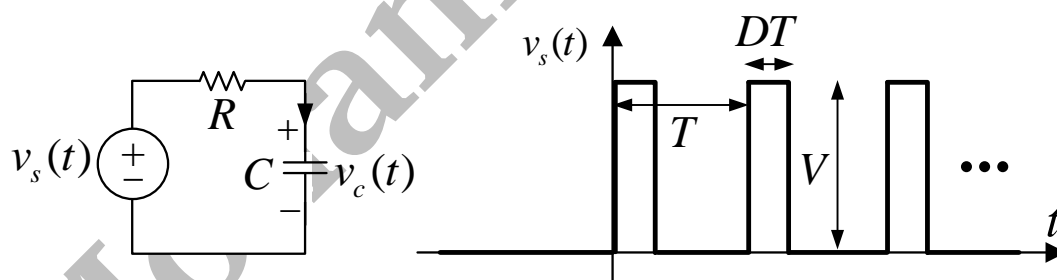


Figure 3: A series RC circuit.

(a) How can we practically measure the circuit time constant  $\tau = RC = 1 \text{ms}$ ?

(b) The measured time constant is possibly different from the calculated theoretical value of  $\tau = RC = 1 \text{ ms}$ . Why?

### Experiment 4

Consider the passive LTI in-rest two-port network shown in Fig. 4.

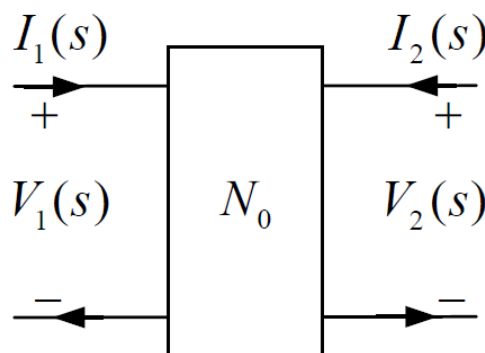


Figure 4: A passive LTI in-rest two-port.

(a) How can we measure the frequency response  $H(j\omega) = \frac{V_2(j\omega)}{V_1(j\omega)}$  of the two-port using an oscilloscope and a function generator?

(b) Spectrum analyzer is a useful and versatile laboratory instrument. Explain how a spectrum analyzer works and how it can be used to experimentally measure the frequency response  $H(j\omega) = \frac{V_2(j\omega)}{V_1(j\omega)}$  of the two-port.

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## BONUS EXPERIMENTS

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### Experiment 5

The circuit shown in Fig. 5 is called biquad active filter. The triangles denote amplifiers with the gains  $-1$  and  $2$ . The amplifiers may be implemented using inverting and non-inverting op-amp circuits. The admittances  $Y_1, Y_2, Y_3$  and  $Y_4$  can be replaced by series or parallel RC circuits. A sample customized configuration is shown in Fig. 6. Depending on the configuration, the circuit provides various filtering responses.

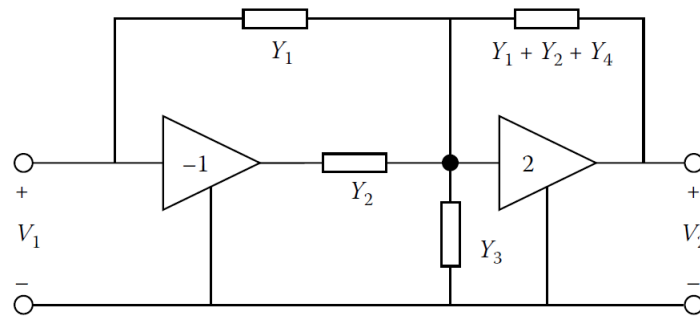


Figure 5: Biquad active filter.

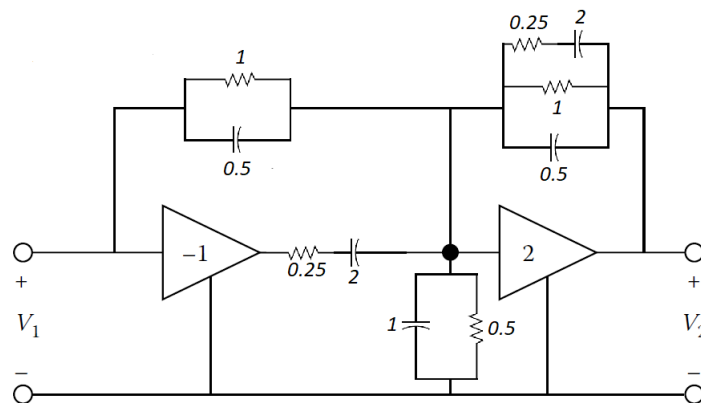


Figure 6: A sample customized realization of the biquad active filter.

(a) Simulate the circuit in PSpice and investigate the filtering response of the circuit for various configurations of  $Y_1$ ,  $Y_2$ ,  $Y_3$  and  $Y_4$ . Especially, demonstrate how the biquad filter can have lowpass, highpass, bandpass, and bandstop frequency responses.

(b) What is an all-pass filter and how can it be implemented using a biquad?

## Experiment 6

Return your answers by filling the  $\LaTeX$  template of the manual.